



Reach for the Sky

Supporting our children to aim high!

# St Mary's CE School

## Maths Support Resources

Parents often ask us, how can I help my child in maths? Firstly, we provide parents with the expectations for each year to enable them to appreciate the standard required by the end of a school year. The next step is to share with parents, what this really looks like in practice. 'Reach for the Sky' is our initiative to support parents by providing them with information about how to do the calculations required in each class. Each year group is provided with information about what this looks like with visual reminders if you are not sure. These are available on our school website and handed out to all families at the beginning of the year.

We are always happy to discuss this with you; the resources hopefully provide a starting point to supporting your child.

# Stage 5 PROMPT sheet

## 1 Place value in numbers to 1 million

The position of the digit gives its size

Millions	Hundred thousands	Ten thousands	thousands	hundreds	tens	ones
1	2	3	4	5	6	7

### Example

The value of the digit '1' is 1 000 000

The value of the digit '2' is 200 000

The value of the digit '3' is 30 000

The value of the digit '4' is 4000

## 2 Round numbers to nearest 10, 100, 1000, 10000, 100000

**Example 1-** Round 342 679 to the nearest 10 000

- Step 1 - Find the 'round-off digit' - 4
- Step 2 - Look one digit to the right of 4 - 2

5 or more? NO - leave 'round off digit' unchanged  
- Replace following digits with zeros

**ANSWER - 340 000**

**Example 2-** Round 453 679 to the nearest 100 000

- Step 1 - Find the 'round-off digit' - 4
- Step 2 - Look one digit to the right - 5

5 or more? YES - add one to 'round off digit'  
- Replace following digits with zeros

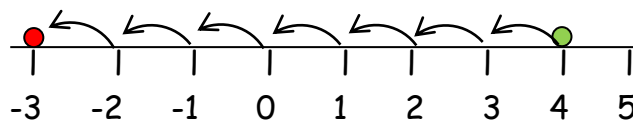
**ANSWER - 500 000**

## 3 Negative numbers

A number line is very useful for negative numbers.

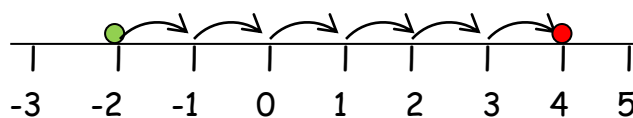
- The number line below shows:

$$4 - 7 = -3$$



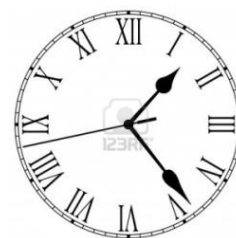
- The number line below shows:

$$-2 + 6 = 4$$



## 4 Roman Numerals

The seven main symbols



I = 1

V = 5

X = 10

L = 50

C = 100

D = 500

M = 1000

Other useful ones include:

IV = 4

IX = 9

XL = 40

XC = 90

## 5 Written methods for addition

- Line up the digits in the correct columns
- Start from RIGHT to LEFT

e.g. 48 + 284 + 9

H T O

4 8

2 8 4

1 2 9 +

3 4 1

## 5 Written methods for subtraction

- Line up the digits in the correct columns
- Start from RIGHT to LEFT

e.g. 645 - 427

H T O

6 <sup>3</sup>4 15

4 2 7 -

2 1 8

## 6 Mental methods for addition

- Start from LEFT to RIGHT

Example 1 - think of:

$$45 + 32 \text{ as } 45 + 30 + 2$$

- But in your head say:

45 75 77

Example 2 - think of:

$$1236 + 415 \text{ as } 1236 + 400 + 10 + 5$$

- But in your head say:

1236 1636 1646 1651

## 5/6 Mental methods for subtraction

Example 1 - think of:

$$56 - 32 \text{ as } 56 - 30 - 2$$

- But in your head say:

56 26 24

Example 2 - think of:

$$1236 - 415 \text{ as } 1236 - 400 - 10 - 5$$

- But in your head say:

1236 836 826 821

## 5/7 Multi-step problems

Based upon 5/6.

Words associated with addition:



Words associated with subtraction:



## 8 Multiples & factors

- **FACTORS** are what divides exactly into a number

e.g. Factors of 12 are:

1	12
2	6
3	4

Factors of 18 are:

1	18
2	9
3	6

The common factors of 12 & 18 are: 1, 2, 3, 6,  
The Highest Common Factor is: 6

- **MULTIPLES** are the times table answers

e.g. Multiples of 5 are:

5	10	15	20	25	.....
---	----	----	----	----	-------

Multiples of 4 are:

4	8	12	16	20	.....
---	---	----	----	----	-------

The Lowest Common Multiple of 5 and 4 is: 20

## 9 Prime numbers

Prime numbers have only TWO factors

The factors of 12 are:

1, 2, 3, 4, 6, 12



12 is NOT prime  
It is composite

Factors of 7 are:

1, 7



7 IS prime

## Prime numbers to 20

1	2	3	4	5
6	7	8	9	10
11	12	13	14	15
16	17	18	19	20

The number '1' is NOT prime

It has only ONE factor

## 10 Multiplication using a formal method

- By a **ONE-DIGIT** number

e.g.  $3561 \times 7$       COLUMN METHOD

$$\begin{array}{r} 3561 \\ \underline{7 \times} \\ 24927 \\ \phantom{2492} 34 \end{array}$$

e.g.  $3561 \times 7$       GRID METHOD

	3000	500	60	7
7	21000	3500	420	49

$$21000 + 3500 + 420 + 49 = 24927$$

- By a **TWO-DIGIT** number

e.g.  $152 \times 34$       COLUMN METHOD

$$\begin{array}{r} 152 \\ \underline{34 \times} \\ 608 \quad (\times 4) \\ 4560 \quad (\times 30) \\ \hline \mathbf{5168} \end{array}$$

e.g.  $152 \times 34$       GRID METHOD

	100	50	2
30	<b>3000</b>	<b>1500</b>	<b>60</b>
4	<b>400</b>	<b>200</b>	<b>8</b>

$$152 \times 34 = 3400 + 1700 + 68 = \mathbf{5168}$$

## 10 Division using a formal method

- By a **ONE-DIGIT** number

e.g.  $9138 \div 6$        $\begin{array}{r} 1526 \\ 6 \overline{)9138} \end{array}$

- By a **TWO-DIGIT** number

e.g.  $4928 \div 32$       SAME METHOD

(Except write down some of your tables down first)

$$\begin{array}{r} 32 \\ 64 \\ 96 \\ 128 \\ 160 \\ \hline 0154 \\ 32 \overline{)4928} \end{array}$$

$$4928 \div 32 = \mathbf{154}$$

e.g.  $4928 \div 32$       ALTERNATE METHOD

- Divide
- Multiply
- Subtract
- Bring down - Make a new number
- Divide ...

$$\begin{array}{r} 0154 \\ 32 \overline{)4928} \\ \underline{-32} \quad \downarrow \\ 172 \\ \underline{-160} \quad \downarrow \\ 128 \\ \underline{-128} \\ 000 \end{array}$$

$$4928 \div 32 = \mathbf{154}$$

## 11 Multiply & divide by 10, 100, 1000

- **By moving the decimal point**

To **multiply** by 10 move the dp ONE place RIGHT

e.g.  $13 \overset{\curvearrowright}{} \times 10 = 130$

$3.4 \overset{\curvearrowright}{} \times 10 = 34$

To **divide** by 10 move the dp ONE place LEFT

e.g.  $13 \overset{\curvearrowleft}{} \div 10 = 1.3$

$3.4 \overset{\curvearrowleft}{} \div 10 = 0.34$

- **By moving the digits**

To multiply by 10 move the digits ONE place LEFT



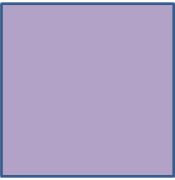
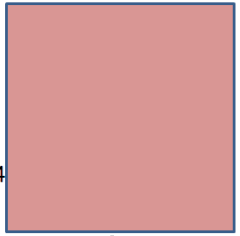
e.g.  $3.52 \times 10 = 35.2$

To multiply or divide by 100 move TWO places


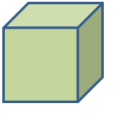
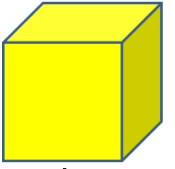
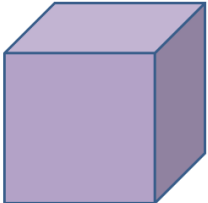
To multiply or divide by 1000 move THREE places

## 12 Square & Cube numbers

### Square numbers


1	2	3	4
			
1x1	2x2	3x3	4x4
1 <sup>2</sup>	2 <sup>2</sup>	3 <sup>2</sup>	4 <sup>2</sup>
1	4	9	16


### Cube numbers

			
1x1x1	2x2x2	3x3x3	4x4x4
1 <sup>3</sup>	2 <sup>3</sup>	3 <sup>3</sup>	4 <sup>3</sup>
1	8	27	64

## 13 Fractions

- To compare fractions  
- the denominators must be the same

$\frac{2}{3}$  and  $\frac{5}{6}$  → 

$\frac{4}{6}$  and  $\frac{5}{6}$  → 

SO  $\frac{5}{6}$  is bigger than  $\frac{2}{3}$

- To add and subtract fractions

**When the denominators are the same**

$\frac{5}{8} + \frac{1}{8} = \frac{6}{8}$

Do not add  
the denominators

$\frac{5}{8} - \frac{1}{8} = \frac{4}{8}$

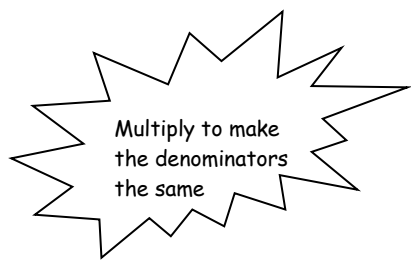
Do not subtract  
the denominators

### 13 To add subtract fractions (cont)

When the denominators are different

$$\frac{3}{8} + \frac{1}{4} \quad \begin{matrix} \text{(x2)} \\ \text{(x2)} \end{matrix}$$

$$\frac{3}{8} + \frac{2}{8} = \frac{5}{8}$$



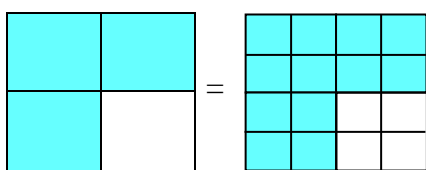
- A mixed number can be changed back into an improper fraction

$$1\frac{1}{2} = \frac{3}{2}$$

$$2\frac{3}{4} = \frac{11}{4}$$

### 14 Equivalent fractions

These fractions are the same but can be drawn and written in different ways



$$\frac{3}{4} = \frac{12}{16}$$

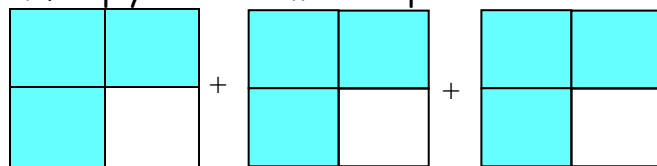
$$\frac{3 \text{ (x4)}}{4 \text{ (x4)}} = \frac{12}{16}$$

Fractions can also be divided to make the fraction look simpler - this is called **CANCELLING** or **LOWEST FORM**

$$\frac{12 \text{ (÷4)}}{16 \text{ (÷4)}} = \frac{3}{4}$$

### 16 Multiply fractions

Multiply is the same as repeated addition



$$\frac{3}{4} + \frac{3}{4} + \frac{3}{4}$$

$$\frac{3}{4} \times 3 = \frac{3}{4} + \frac{3}{4} + \frac{3}{4} = \frac{9}{4} = 2\frac{1}{4}$$

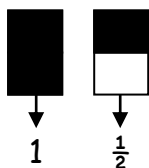
OR

$$\frac{3}{4} \times \frac{3}{1} = \frac{9}{4} = 2\frac{1}{4}$$

### 15 Mixed & improper fractions

- An improper fraction is top heavy & can be changed into a mixed number

$\frac{3}{2}$  can be shown in a diagram



$$\frac{3}{2} = 1\frac{1}{2}$$

Improper fraction

Mixed number

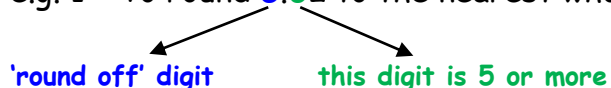
## 17 Round decimals

### Rules for rounding

1. Find the 'round off' digit
2. Move one digit to its right
3. Is this digit 5 or more
  - Yes - add one to the round off digit
  - No - don't change the round off digit

#### To the nearest whole number

e.g. 1 - To round **5.62** to the nearest whole



5.62 rounded to nearest whole = 6

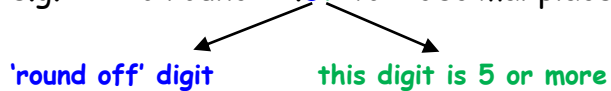
e.g. 2 - To round **5.32** to the nearest whole



5.32 rounded to nearest whole = 5

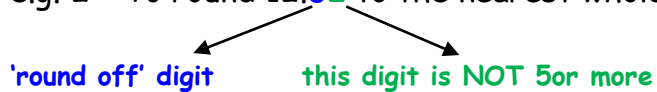
#### To one decimal place

e.g. 1 - To round **12.37** to 1 decimal place



12.37 rounded to 1dp = 12.4

e.g. 2 - To round **12.32** to the nearest whole



12.37 rounded to 1dp = 12.3

## 18 Read & write decimals

The value of each digit is shown in the table

hundreds	tens	ones	.	tenths	hundredths	thousandths
3	5	2	●	6	1	7
300	50	2		$\frac{6}{10}$	$\frac{1}{100}$	$\frac{7}{1000}$
352					$\frac{61}{100}$	$\frac{7}{1000}$
352					$\frac{617}{1000}$	

## 18 Order decimals

Example - To order 0.28, 0.3, 0.216

- Write them under each other
- Fill gaps with zeros
- Then order them
- 

0.28       $\longrightarrow$       0.280

0.3         $\longrightarrow$       0.300

0.216      $\longrightarrow$       0.216

Order:                smallest    largest  
                              0.216      0.28      0.3

## 19 Decimal & Percentage equivalents

### Learn

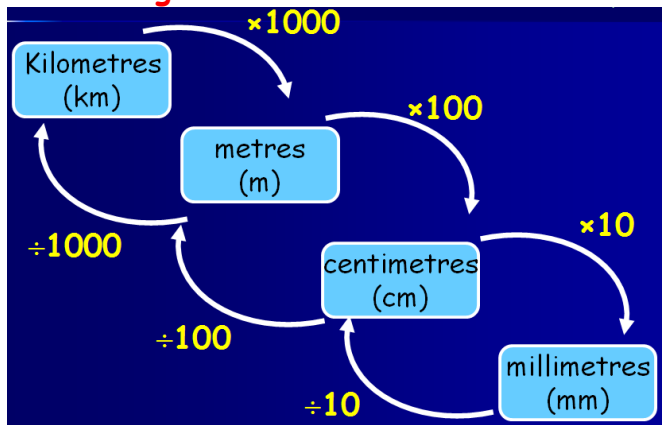
Fraction	Decimal	Percentage
$\frac{1}{2}$	0.5	50%
$\frac{1}{4}$	0.25	25%
$\frac{1}{5}$	0.2	20%
$\frac{1}{10}$	0.1	10%
$\frac{1}{100}$	0.01	1%

Some fractions have to be changed to be 'out of 100'

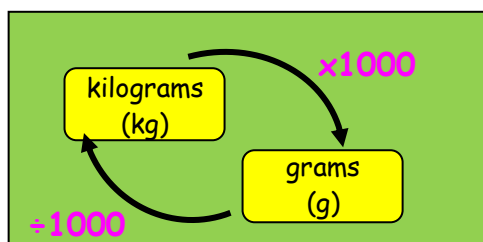
$$\frac{11}{25} \stackrel{(\times 4)}{=} \frac{44}{100} = 0.44 = 44\%$$

## 20 Convert metric measure

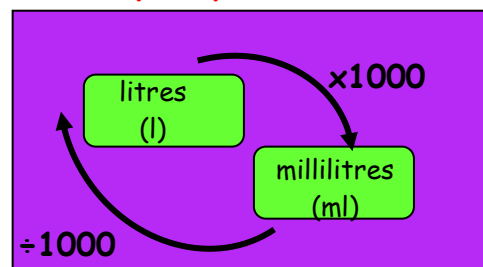
### • Length



### • Mass or weight

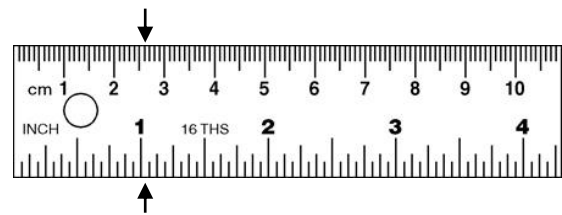


### • Capacity or volume



## 20 Imperial measure

- 1 inch is about 2.5cm



- 1km = 1.6 miles or 5miles = 8km

- 1kg is about 2.2pounds



- A litres of water's a pint and three quarters



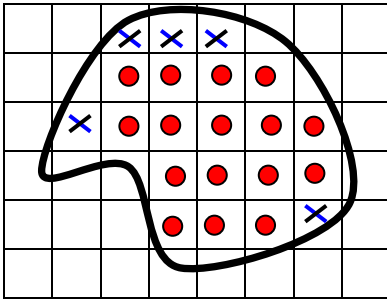
- A gallon is about 4.5 litres





## 21 Area & Perimeter

### • Estimate area



Number of whole squares (●) = 16

Number of  $\frac{1}{2}$  or more (×) = 5

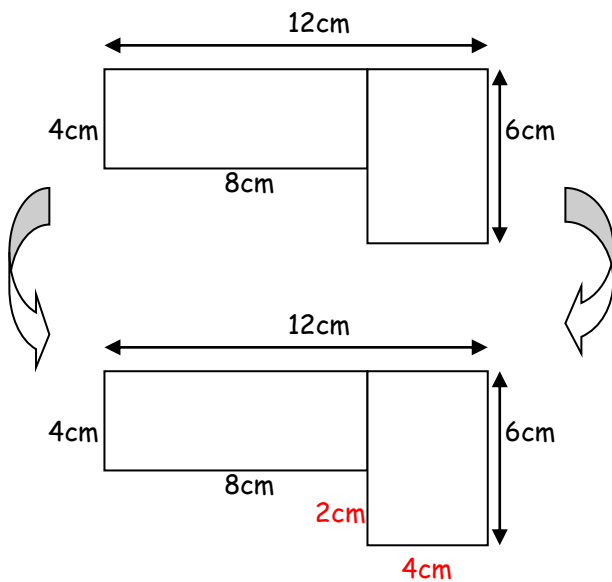
Estimated area = 21 squares

### • Shapes composed of rectangles

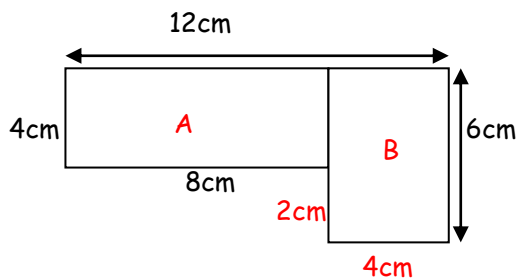
Put on all missing lengths first

For perimeter - ADD all lengths round outside

For area - split into rectangles & add them together



$$\text{Perimeter} = 12 + 6 + 4 + 2 + 8 + 4 = 36\text{cm}$$

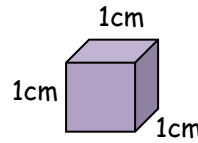


$$\begin{aligned} \text{Area of shape} &= \text{Area of A} + \text{B} \\ &= (8 \times 4) + (4 \times 4) \\ &= 32 + 16 \\ &= 48\text{cm}^2 \end{aligned}$$

## 22 Volume

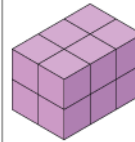
Volume is measured in cubes

### The 1 cm cube

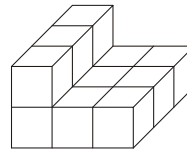


The volume of this cube is  $1\text{ cm}^3$   
(1 cubic centimetre)

**It holds 1ml of water**



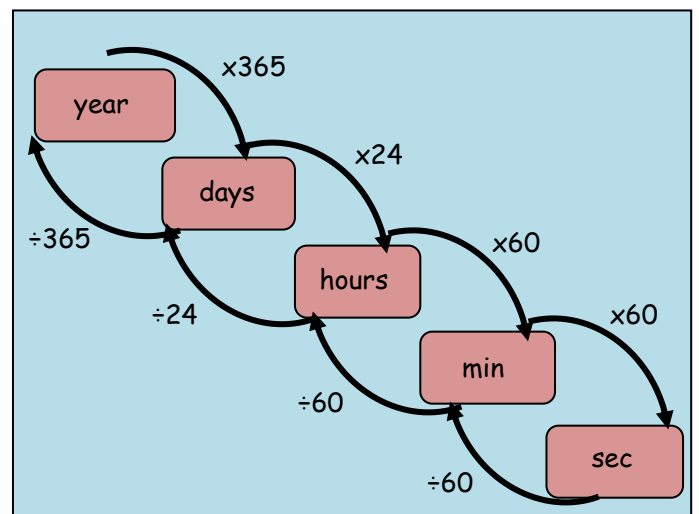
This cuboid contains 12 cubes  
So the volume is  $12\text{ cm}^3$



This 3D shape contains 12 cubes  
So the volume is  $12\text{ cm}^3$

## 23 Units of time

### • Time conversion



### • Time intervals

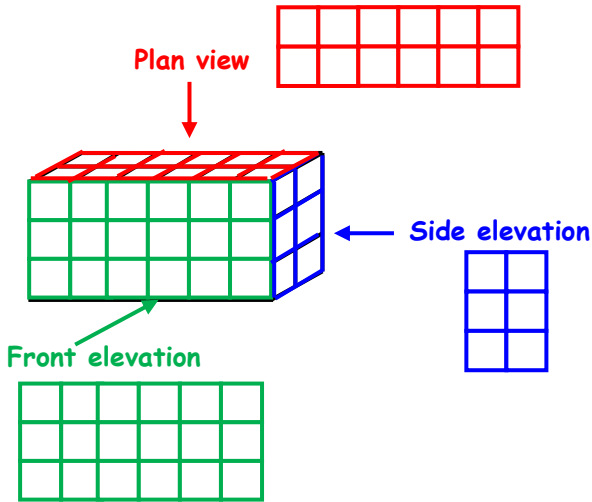
Always go to the next whole hour first

Example: 0830 to 1125

$$30\text{min} + 2\text{h } 25\text{min} = 2\text{h } 55\text{min}$$

## 24 2D representations of 3D shapes

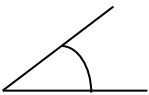
- There are 3 views:



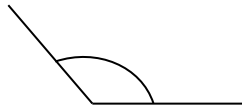
## 25 Angles

- Types of angles

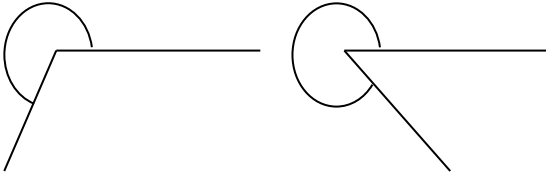
Acute  
(less than  $90^\circ$ )



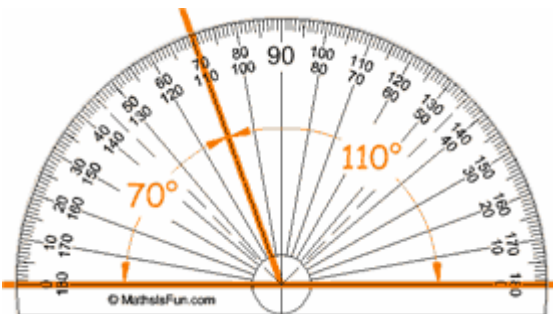
Obtuse  
(Between  $90^\circ$  &  $180^\circ$ )



Reflex  
(Between  $180^\circ$  &  $360^\circ$ )

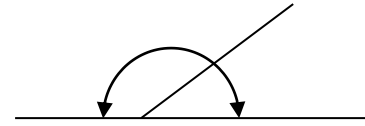


- Measure and draw angles

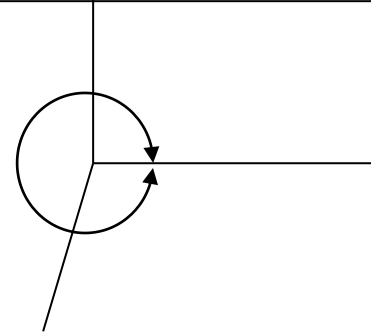


To be sure, count the number of degrees between the two arms of the angle

## 26 Angles



Angles on a straight line add up to  $180^\circ$   
or 2 right angles ( $2 \times 90^\circ$ )

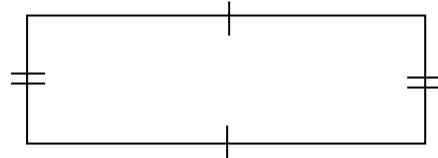


Angles about a point add up to  $360^\circ$   
or 4 right angles ( $4 \times 90^\circ$ )

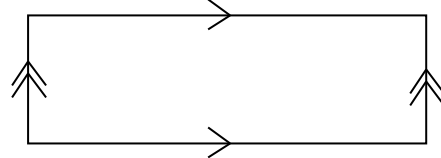
27



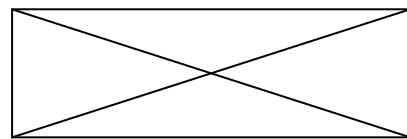
- Opposite sides are equal



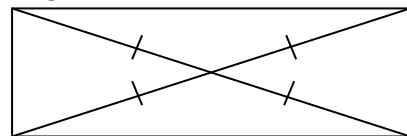
- Opposite sides are parallel



- Diagonals are equal



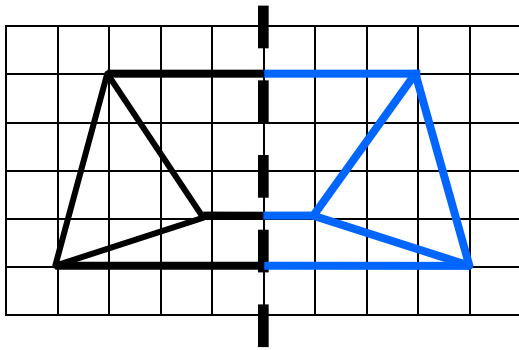
- Diagonals bisect each other (cut in half)



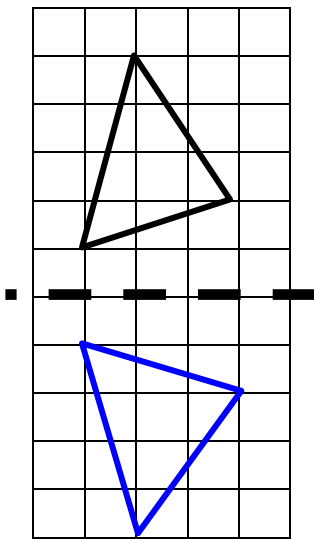
- A square is a special rectangle

## 28 Reflection

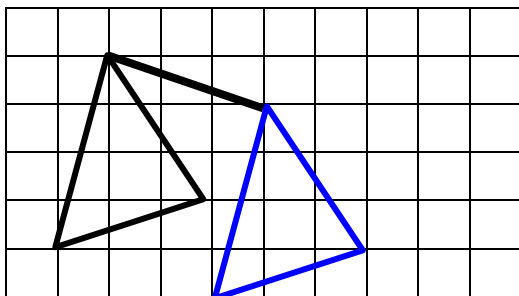
- Reflection in a vertical line



- Reflection in a horizontal line



## 5/28 Translation - 3 right & 1 down



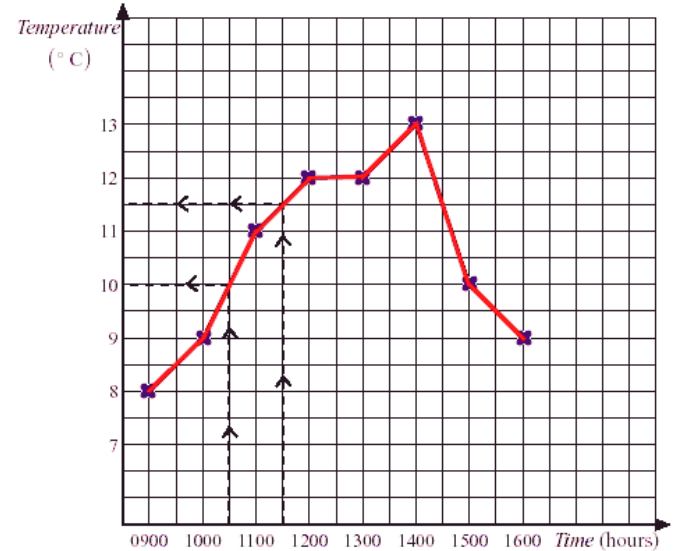
- In reflection and translation the shapes remain the same size and shape - CONGRUENT
- In reflection the shape is flipped over
- In translation the shape stays the same way up

## 29 Line graphs

- Find the difference

Example 1: What was the difference in temperature between 1030 and 1130?

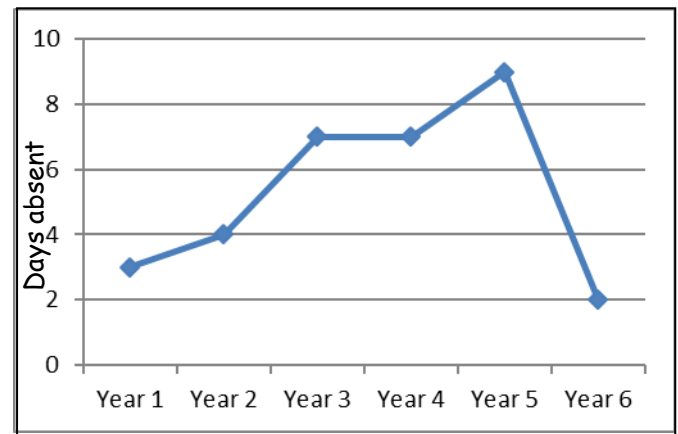
Answer:  $11.5^{\circ}\text{C} - 10^{\circ}\text{C} = 1.5^{\circ}\text{C}$



- Find the sum of the data

Example: What was the total number of days absent over the 6 years?

Answer:  $3 + 4 + 7 + 7 + 9 + 2 = 32$  days



### 30 Interpret information in tables

- Distance table

Example: Find the distance between Leeds and York

Answer: 40miles

Hull				
100	Leeds			
162	73	Manchester		
110	60	65	Sheffield	
63	40	118	95	York

- Timetable

Example: How long is the film?

Answer:  $1.10 - 2.35 = 1\text{h } 25\text{min} = 85\text{min}$

6.30am	Educational programme
7.00	Cartoons
7.25	News and weather
8.00	Wildlife programme
9.00	Children's programme
11.30	Music programme
12.30pm	Sports programme
1.00	News and weather
1.10 - 2.35pm	Film

- Table of results of goals scored

Example: Did boys or girls score the most goals?

Answer: Boys:  $6+3+3+6=18$

Girls:  $7+5=12$

Boys scored the most goals

	Game 1	Game 2	Game 3	Game 4	Game 5	Frequency
Peter	1	0	0	2	3	6
John	0	2	1	0	0	3
Ryan	1	0	1	1	0	3
Claire	2	0	2	1	2	7
Bill	3	1	1	0	1	6
Susan	0	1	3	1	0	5